

I have to share with my 5 sisters!

Multiplication and Division of a Polynomial by a Constant

Triple the anchovies!

What size pizza would you like?

State the degree → Highest exponent

(7) $5k^{\textcircled{1}} - 9^{\circ}$ ← Assumed. 14^{\square}

$2m^{\textcircled{2}} + 7m$

~~$2 + 2$~~

State the Coefficient.

$$-4n^3 + 3n^2$$

↗
① -4, 3

Variable → letter.

$$7n^2 + 9$$

↗
7

Constant.

Not a coefficient
Doesn't have
a variable

20)
 Assoc. $\rightarrow +5p^2 - 4p^3 - p^4 - 6p^4 - 3p - p^2$
 Same variable
 Same exponent (degree)

① Group like terms
 Write it in Descending order

$$-1p^4 - 6p^4 - 4p^3 + 5p^2 - 1p^2 - 3p$$

$-7p^4 - 4p^3 + 4p^2 - 3p$

$\rightarrow -6$



Things you already know!!

$$4 \times 5 = 20$$

$$(4)(5) = 20$$

$$4(5) = 20$$

Things you need to know :)

Why didn't I use this example??

$$(4)(m) = 4m$$

$$6(z) = 6z$$



•
K
•

The Ultimate!

WHAT IF?

$$4(6w)$$

$$24w$$

$$4(6w - 11)$$

$$24w - 44$$

$$4(6w^2 - 7p + 11)$$

$$24w^2 - 28p + 44$$

→ Multiply each term in the brackets by the term on the outside of the brackets.

Hint!_(words)

~~**Hint!**~~

$4 \times 6w^2$ $4 \times -7p$ 4×11



Things you already know!!

$$30 \div 3 = 10$$

division sign

$$\frac{30}{3} = 10$$

den.

num.

Things you need to know :)

$$60z \div 15 = 4z$$

$$\frac{60}{15} z$$

$$\frac{48m}{4}$$

$$= 12m$$

$$\frac{48}{4} m$$



$\frac{100r^2}{5}$
 $20r^2$

WHAT IF?

$(100r^2 + 50m - 65z) \div (-5)$

$\frac{100r^2 + 50m}{5}$
 separates the term

Separate the polynomial to make a sum of fractions.

$\frac{100r^2}{5} + \frac{50m}{5}$
 $20r^2 + 10m$

$\frac{100r^2}{-5} + \frac{50m}{5} - \frac{65z}{5}$
 $-20r^2 - 10m + 13z$

Hint!
 (Words)

Hint!
 (visual)

mate!

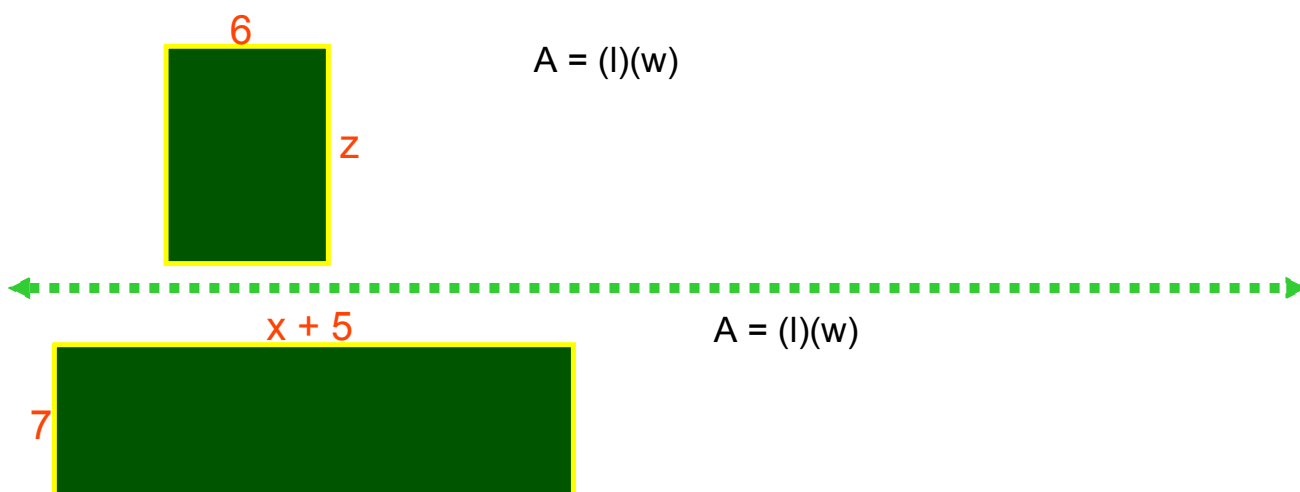
The Ulitmate :)

Homework Pg 246-247

7a, 8a, 9abc

A = length x width
A = (l)(w)

Write the multiplication statement
for the area of each rectangle.



$$3(2x - 6y + 2z)$$



Try these:

$$\frac{36p + 45q - 81}{9}$$



$$(30m - 15a + 9t - 54h) \div (-3)$$



$$-4(6z - 9)$$



$$(11y^2 - 8y + 10)(5)$$



$$(49t^2 - 7) \div (7)$$

