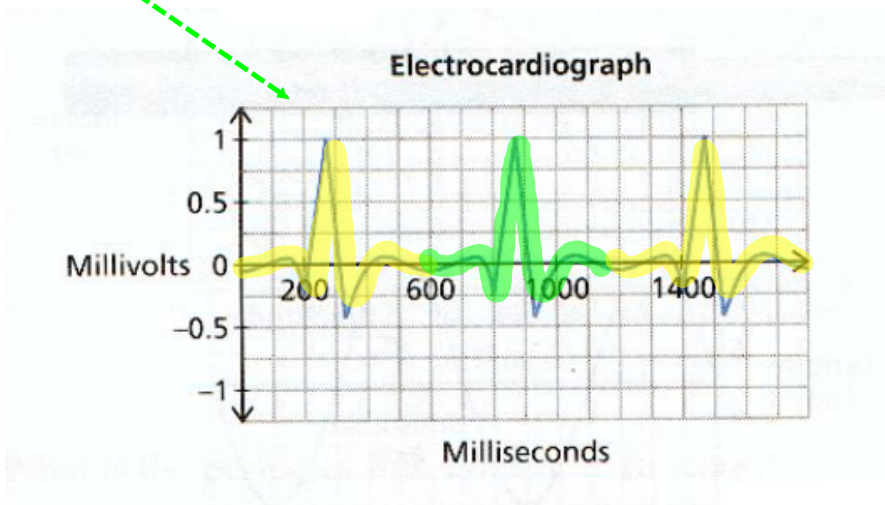
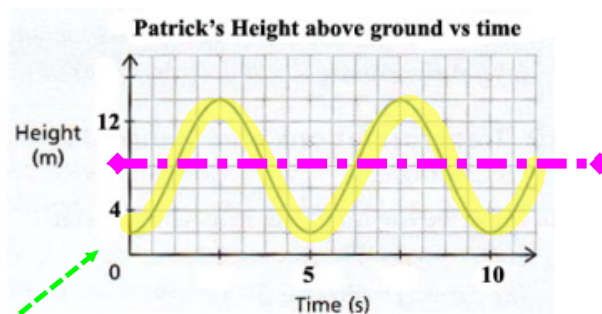


Remember!

Periodic Functions Repeat!

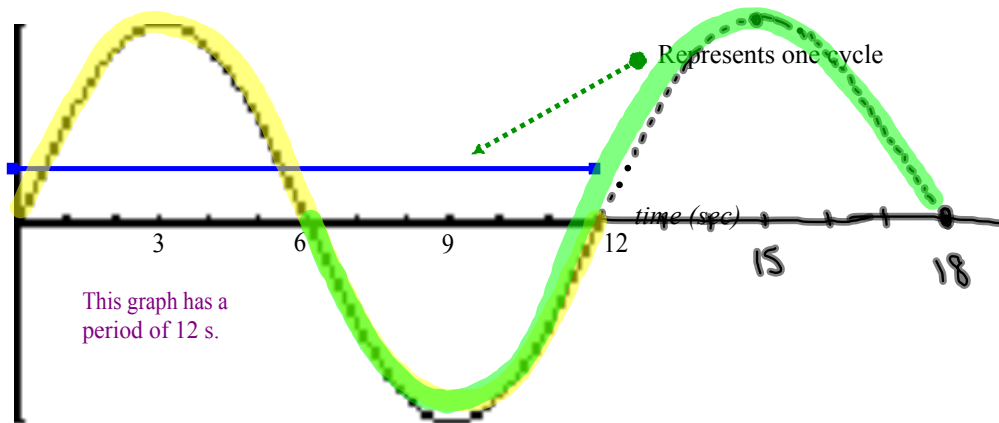


Sinusoidal Function: A periodic function that looks like waves, where any portion of the curve can be translated onto another portion of the curve.

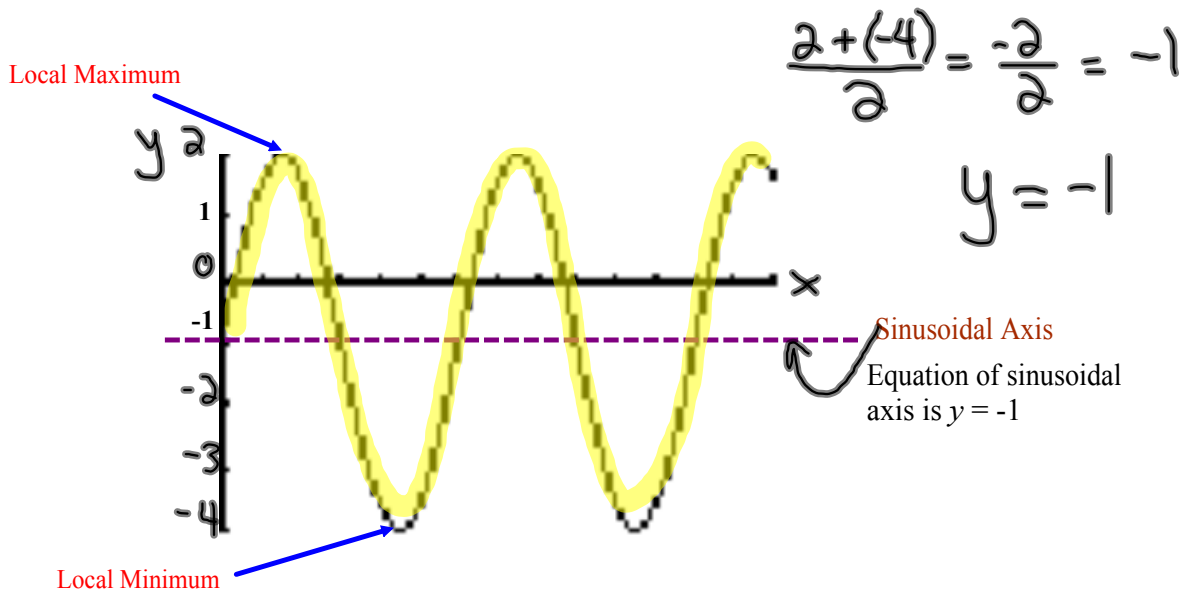


Repeats and looks like waves!

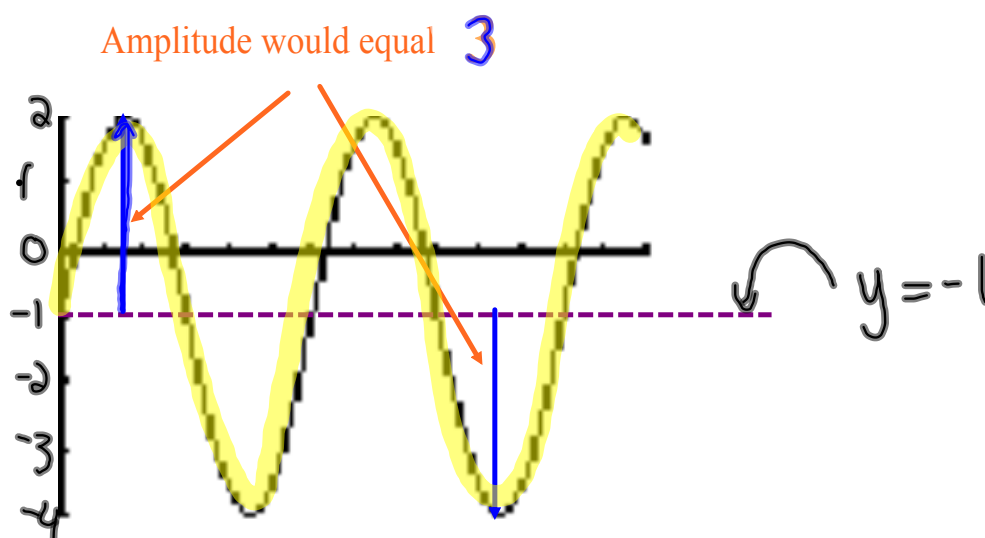
I. **Period:** The change in x corresponding to one cycle.



II. **Sinusoidal Axis:** The horizontal line halfway between the local maximum and local minimum.



III. **Amplitude:** The vertical distance from the sinusoidal axis to a local maximum or local minimum.



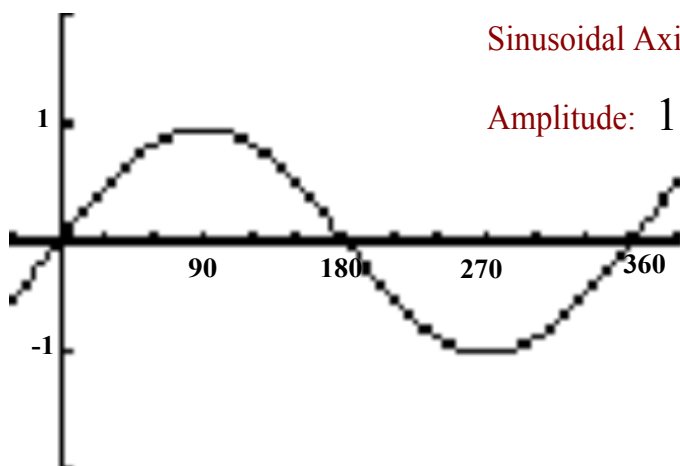
Summarize...

Here is the graph of $y = \sin \theta$

Period: 360

Sinusoidal Axis: $y = 0$

Amplitude: 1



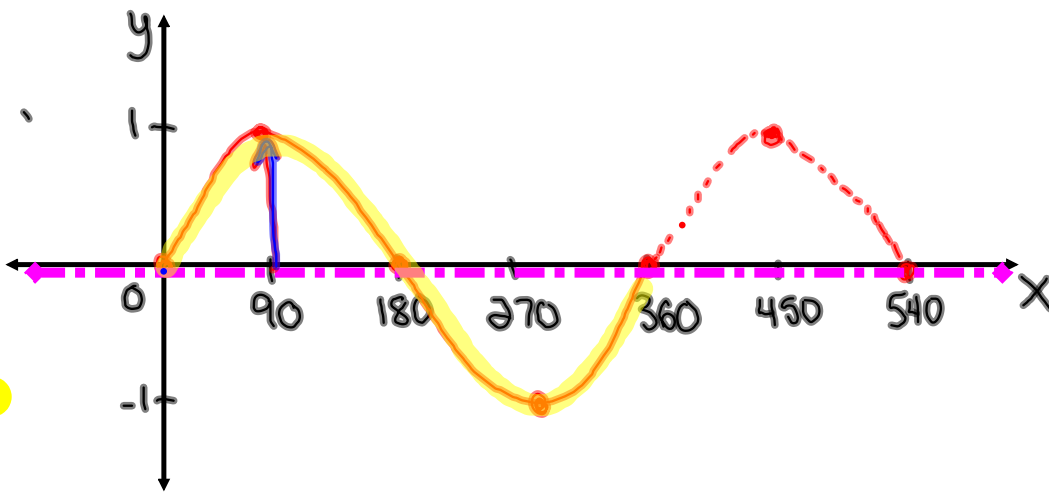
Let's examine the graph of $y = \sin \theta$

$$y = \sin x$$

x	0	30	60	90	120	150	180	210	240	270	300	330	360
y	0	0.5	0.86	1	0.86	0.5	0	-0.5	-0.86	-1	-0.86	-0.5	0

* Starts on the sinusoidal axis and moves up

Now plot the above points...



Is this a sinusoidal function? **Yes**

Find:

Amplitude $A=1$

Period : $P=360$ | $k = \frac{360}{P} = \frac{360}{360} = 1$

* Equation of Sinusoidal Axis $y=0$

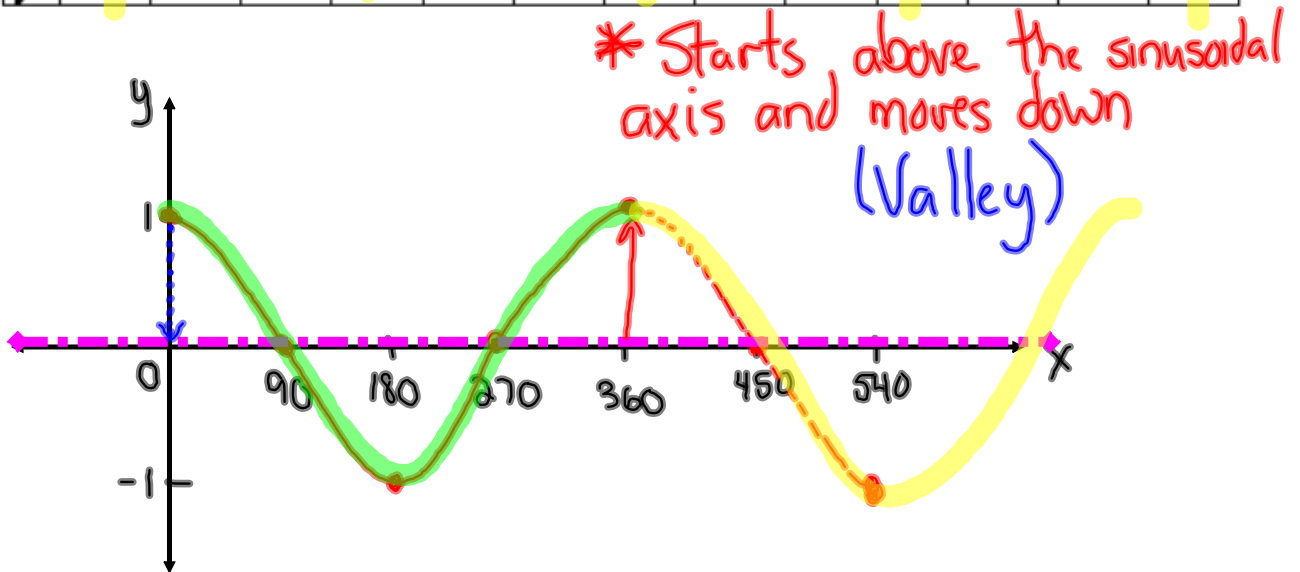
Vertical Translation: $D=0$

Horizontal Translation: $C=0$

What about $y = \cos \theta$?

$$y = \cos x$$

θ	θ	30	60	90	120	150	180	210	240	270	300	330	360
y	1	0.86	0.5	0	-0.5	-0.86	-1	-0.86	-0.5	0	0.5	0.86	1



Is this a sinusoidal function? **Yes**

Find:

Amplitude $A = 1$

Period $P = 360 \mid k = \frac{360}{360} = 1$

* Equation of Sinusoidal Axis $y = 0$

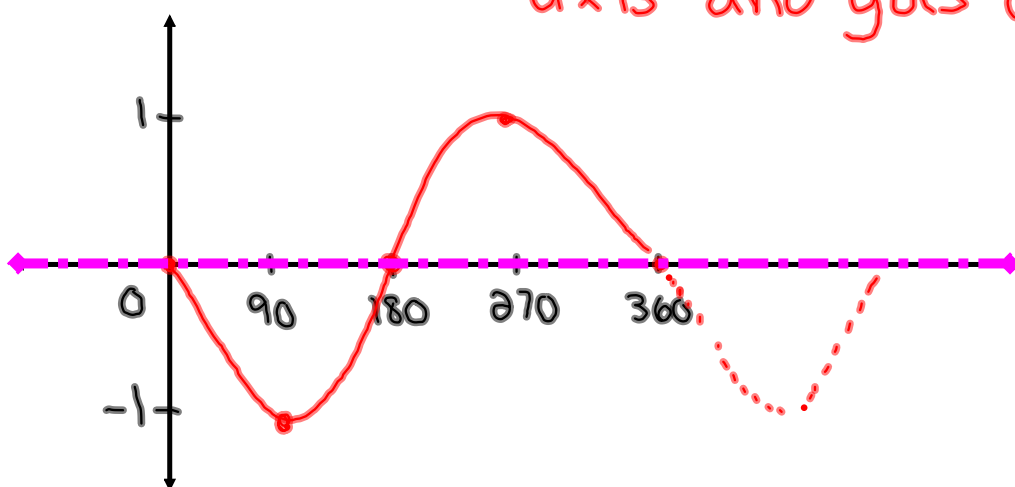
$$D = 0$$

$$C = 0$$

What about $y = -\sin x$

x	0	90	180	270	360
y	0	-1	0	1	0

* Starts on the sinusoidal axis and goes down



Is this a sinusoidal function? *Yes*

Find:

Amplitude

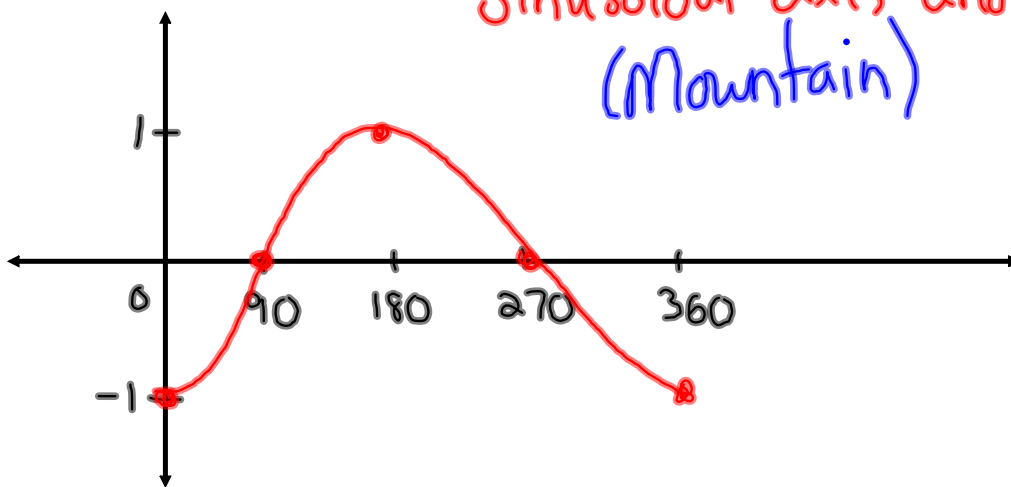
Period

Equation of Sinusoidal Axis

What about $y = -\cos x$

x	0	90	180	270	360
y	-1	0	1	0	-1

* Starts below the sinusoidal axis and moves up (Mountain)



Is this a sinusoidal function?

Find:

Amplitude

Period

Equation of Sinusoidal Axis

$$a) y = \underline{-3} \sin(x + \underline{60}) + \underline{0}$$

$$A = 3$$

$$k = 1$$

$$C = -60$$

$$D = 0$$

$$P = \frac{360}{k} = \frac{360}{1} = 360$$

$$b) \quad y = \underline{2} \cos \left[\left(\frac{1}{2} \right) (x) \right] + \underline{0}$$

$$A = 2$$

$$k = \frac{1}{2}$$

$$C = 0$$

$$D = 0$$

$$P = \frac{360}{\frac{1}{2}} = 360 \times 2 = \boxed{720}$$