Questions From Homework

(1)
$$y = (x-3)(x+3)$$

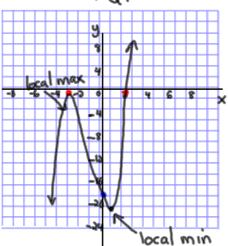
(1) $x = (y=0)$
(11) $y = (x-3)(x+3)$
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(12) $y = (x-3)(x+3)$
(13) $y = (x-3)(x+3)$
(14) $y = (x-3)(x+3)$
(15) $y = (x-3)(x+3)$
(17) $y = (x-3)(x+3)$
(18) $y = (x-3)(x+3)$

(11) Stretch Factor

a=1 (Positive)

Starts in Q3

Ends in Q1



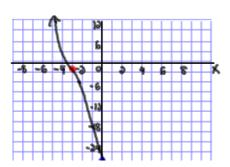
(i)
$$3^{rd}$$
 Degree

 $0 = -(x+3)(x+3)(x+3)$ (ii) $y = -(x+3)^3$
 $y = -3, -3, -3$
 $y = -37$

(v) Stretch Factor

0=-1 (Negotive) Storts in 00

Ends in Q4



Polynomial Functions

Polynomial - an algebraic expression consisting of two or more terms. A polynomial usually contains only one variable. Within each term the variable is raised to a non-negative integer power, and is multiplied by a constant. The simplest types of polynomials are binomials (two terms) and trinomials (three terms)

Degree of a Polynomial - the greatest power to which the variable is raised; for example, the degree of the trinomial $x^4 - 2x + 5$ is 4

A polynomial function with real coefficients can be represented by

$$y = f(x) = ax^{n} + bx^{n-1} + cx^{n-2} + \dots + x^{n-2}$$

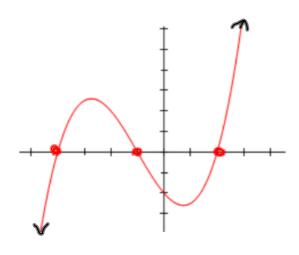
where *a*, *b*, *c*, *etc*. are real numbers. The shape of the graph of the function is affected by the value of *n* (*the Degree of the Polynomial*), the values of the cooefficients, and whether the value of *a* is positive or negative.

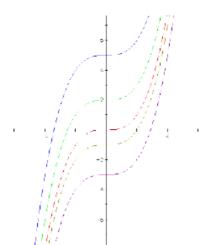
Cubic Functions

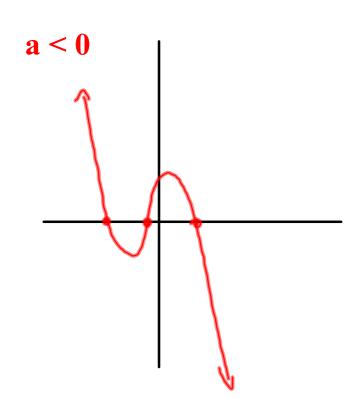
3rd degree Polynomials.
$$y = ax^3 + bx^2 + cx + d$$

factored form
$$y = a(x-r_1)(x-r_2)(x-r_3)$$

a > 0



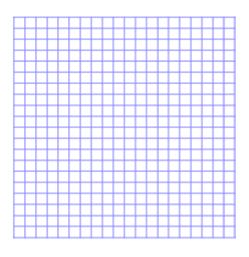




A cubic function has three roots. Either one or three of these roots will be real numbers. Any other roots are complex numbers. The number of *x*-intercepts on the graph of the corresponding cubic function y=f(x) depends on the nature of the roots.

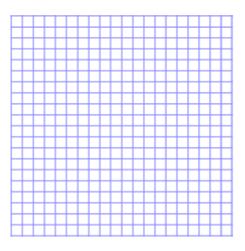
Three different real roots

$$y = (x-1)(x-2)(x+3)$$



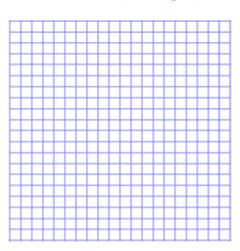
Three equal real roots

$$y = -(x-2)^3$$



Three real roots (2 are equal)

$$y = (x+3)(x-2)^2$$



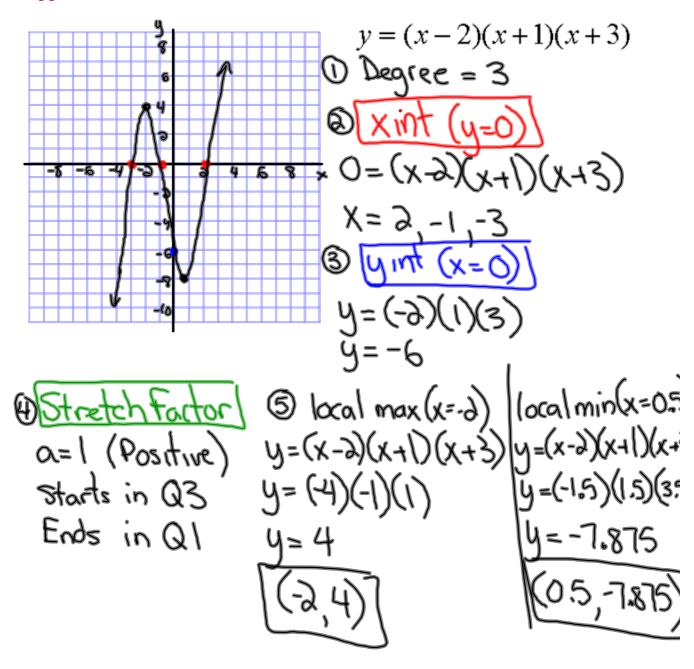
Local Maximum - is the highest point in its immediate region of *x-values*.

This may or may not be the greatest value of the function over its entire domain.

Local Minimum - is the lowest point in its immediate region of *x-values*.

This may or may not be the smallest value of the function over its entire domain.

Approximate Local Max and Min values!





Calculating Max and Min values on the TI-83

Homework