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NUMERICAL RESPONSE
12. Snappy Cards makes two types of greeting cards: scratch'n'sniff, or with a recorded tune that plays when the card is open. The company can make at
                  most 250 scratch'n'sniff cards and at most 175 tune cards per day. However, they can make 300 or more cards in total per day. Scratch'n'sniff cards cost
                  $1.25 to make, and tune cards cost $2.00 to make. Let s represent the number of scratch'n'sniff cards and t represent the number of tune cards.
                  a) State the restrictions: s \in \mathcal{W}, t \in \mathcal{W}
                  b) State the constraints: s \ge 0, s \le 250, t \ge 0, t \le 175, s + 120, t \le 175, t \ge 175
                  c) Define the objective function: cost C = 1.25 + 2.00 + 1.00
13. Verify that the point (-3, 3) is a solution to this system.
                  \{(x, y) \mid 5y - x \ge 7, x \in \mathbb{R}, y \in \mathbb{R}\}
                  \{(x, y) \mid x + 2y < 5, x \in \mathbb{R}, y \in \mathbb{R}\}\
                                               LS
                                                                                            RS
                     5(<u>3</u>)-(<u>-3</u>)37
                                                                                                                                                          -3+2(3) < 5
3
                  LS \ge RS?
                                                                                                                                LS <u></u>RS
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14. a) Complete the partial factoring of the function f(x) = -3x^2 + 24x - 18:

f(x) = \frac{-3}{3}x(x - \frac{8}{3}) - \frac{18}{3}
b) Determine the y-intercept: (0, -\frac{1}{3}).
c) Determine another point with the same y-coordinate as the y-intercept: (\frac{9}{3}, -\frac{1}{3})
d) Determine the equation of the axis of symmetry: x = \frac{4}{3} + \frac{2}{3} + \frac{8}{3} + \frac{2}{3} + \frac{2}{
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	the equation $7x^2 - 2x + 1 = 3x + 2$. Give exact solution
x =	or $x = \frac{5 - \sqrt{53}}{14}$
_	
	2-2x+1=3x+2
	-2x-3x+1-2=0
	-5x-1=0
a=-	1, b=-5, c=-1
$\chi =$	-b±1b2-4ac
	2a
$\chi =$	5 ± √(-5)=4(7)(-1)
	2(7)
$\chi =$	5 ± \25 + 28
	14
χ	$=5\pm\sqrt{53}$
	14

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18. Nina and Franco are comparing their SUV and sedan fuel costs. On a 250 km trip, the SUV uses 45.3 L of gas. On a similar trip, of 180 km, the sedan uses 28.7 L of gas. Rounding to the nearest tenth, what is the fuel economy

a) of the SUV? 

B.1 L J 100 km

b) of the sedan? 

SSUV

b) SEDAN

45.3 L = X

38.7 L = X

350 km 100 km

180 km 100 km

45.30 = 250 x

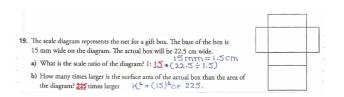
3870 = 180 x

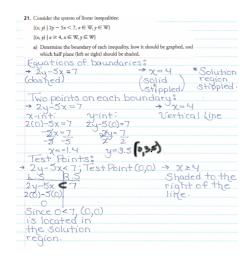
180 L80

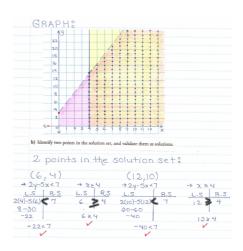
18.1 L = X

15.9 X 100 = 88%

15.9 X 100 % - 88% = 12%
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22. Lorel and Shaida are making shakes and smoothies for the drinks stand at their school fair. They can make a maximum of 280 drinks altogether, of which at most 120 can be shakes. They plan to sell shakes for $3.50 each and smoothies for $2.75 each.

a) Create an algebraic model of the situation.

Let x represent the number of shakes. Let y represent the number of smoothies. Let R represent Revenue.

Restrictions.

XEW

YEW

Constraints XEO, YEO

X+Y=280

X=120

Objective Function. R=3.50x+0.75 y
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b) Graph the system of inequalities in your model on the grid provided.

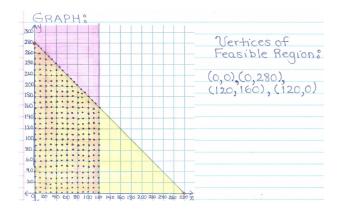
State the vertices of the feasible region.

Equations of boundaries:

The points of the system of inequalities in your model on the grid provided.

Equations of boundaries:

The points of the system of the sys
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e) Predict which point in the feasible region maximizes the objective function. Explain.

For (0,0): R = 3.50x + 2.75 y
R = 3.50(0) + 2.75 (0)
R = $0

For (0,280): R = 3.50x + 2.75 y
R = 3.50(0) + 2.75 (280)
R = $1770

For (120,160): R = 3.50x + 2.75 y
R = 3.50(120) + 2.75 (160)
R = $60 *(Maximum Revenue)

For (120,0): R = 3.50x + 2.75 y
R = 3.50(120) + 2.75 (0)
R = $120.
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