

Review for Test

1. Carlos surveyed 50 students about their favorite subjects in school. He recorded his results.

Favorite Subject	Number of Students
mathematics	18
science	15
neither mathematics nor science	20

Write the following using set notation.

Determine how many students like:

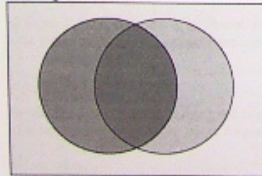
- mathematics and science.
 - Only math
 - Science but not math.
2. Mrs. Lam's physics class is visiting the local amusement park. She has 32 students. Of these students, 20 plan to ride the roller coaster and 15 plan to ride the vertical drop. There are 8 students who do not plan to ride either attraction.

Determine how many students plan to ride both the roller coaster or the vertical drop.

3. Given the following situation:
- the universal set $U = \{\text{positive integers less than } 20\}$
 - $X = \{4, 5, 6, 7, 8\}$
 - $P = \{\text{prime numbers of } U\}$
 - $O = \{\text{odd numbers of } U\}$

Determine $n(X \cap P)$.

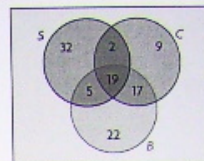
4. Games that use a board include chess, Clue, checkers, Go, Scrabble, and Monopoly. Games that use cards include Hearts, Monopoly, Snap, and Clue. Draw a Venn diagram to represent these two sets of games.



5. Games that use a board include chess, Clue, checkers, Go, Scrabble, and Monopoly. Games that use cards include Hearts, Monopoly, Snap, and Clue. Determine the union and intersection of these two sets.

6. Grade 12 students were surveyed about their extra curricular activities.

- 58% belonged to a sports team (S)
- 63% belonged to a band or choir (B)
- 47% belonged to a school club (C)
- 24% belonged to a sports team and a band or choir
- 21% belonged to a sports team and a school club
- 36% belonged to a band or choir and a school club
- 19% engaged in all three activities



Write each of your answer in set notation.

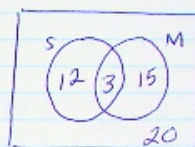
- a) What percent of students only belong to a band or choir?
 - b) What percent of students belong to band or choir or sports but not a school club?
 - c) What percent of students belong to only a school club?
 - d) What percent of students belong to only ^{one} sports team?
7. Write the converse of the conditional statement below.
"If you work in a hospital, then you are a doctor."
 8. If the statement below is biconditional, rewrite it in biconditional form. If the statement is not biconditional, provide a counterexample.
"If you have insomnia, then you cannot sleep at night."
 9. If the statement below is biconditional, rewrite it in biconditional form. If the statement is not biconditional, provide a counterexample.
"If you have Canadian coin worth two dollars, then you have a toonie."
 10. Show the biconditional statement below is true. If it is not true, give a counterexample.
"I am eating an orange if and only if I am eating a citrus fruit."
 11. a) Draw a Venn diagram to represent these sets:
 - the universal set $U = \{\text{natural numbers from 1 to 50 inclusive}\}$
 - $T = \{\text{multiples of 3}\}$
 - $S = \{\text{multiples of 6}\}$
 - $N = \{\text{multiples of 19}\}$
 b) List the disjoint sets, if there are any.
 c) Is each statement true or false? Explain.
 - i) $T \subset S$
 - ii) $S \subset T$
 - iii) $N \subset S$
 - iv) $T \cap N = \{\text{even numbers from 1 to 50}\}$
 - v) In this example, the set of natural numbers from 51 to 100 is { }.

Review For Test

1. a) $n(M \cap S) = 3$

b) $n(M \setminus S) = 15$

c) $n(S \setminus M) = 12$



$50 - 20$
30 students

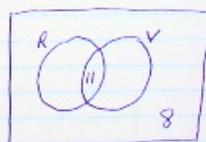
M $18 - 3 = 15$

S $15 - 3 = 12$

$\frac{18}{+15}$ $33 - 30 = 3$
33

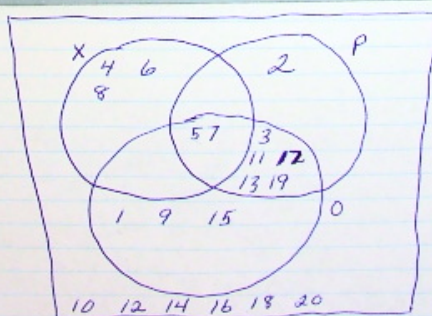
2. 32 students

20 roller coaster
15 vertical drop
8 neither



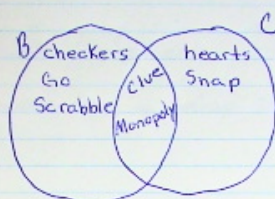
$n(R \cup V) = 11$

3. $U = \{1, 2, 3, \dots, 18, 19, 20\}$
 $X = \{4, 5, 6, 7, 8\}$
 $P = \{2, 3, 5, 7, 11, 13, 17, 19\}$ "prime"
 $O = \{1, 3, 5, 7, 9, 11, 13, 15, 17, 19\}$ "odd"



$n(X \cap P) = 2$

4.



$$5. (B \cup C) = \{ \text{checkers, go, scrabble, clue, monopoly, hearts, snap} \}$$

$$(B \cap C) = \{ \text{clue, monopoly} \}$$

$$n(B \cup C) = 7$$

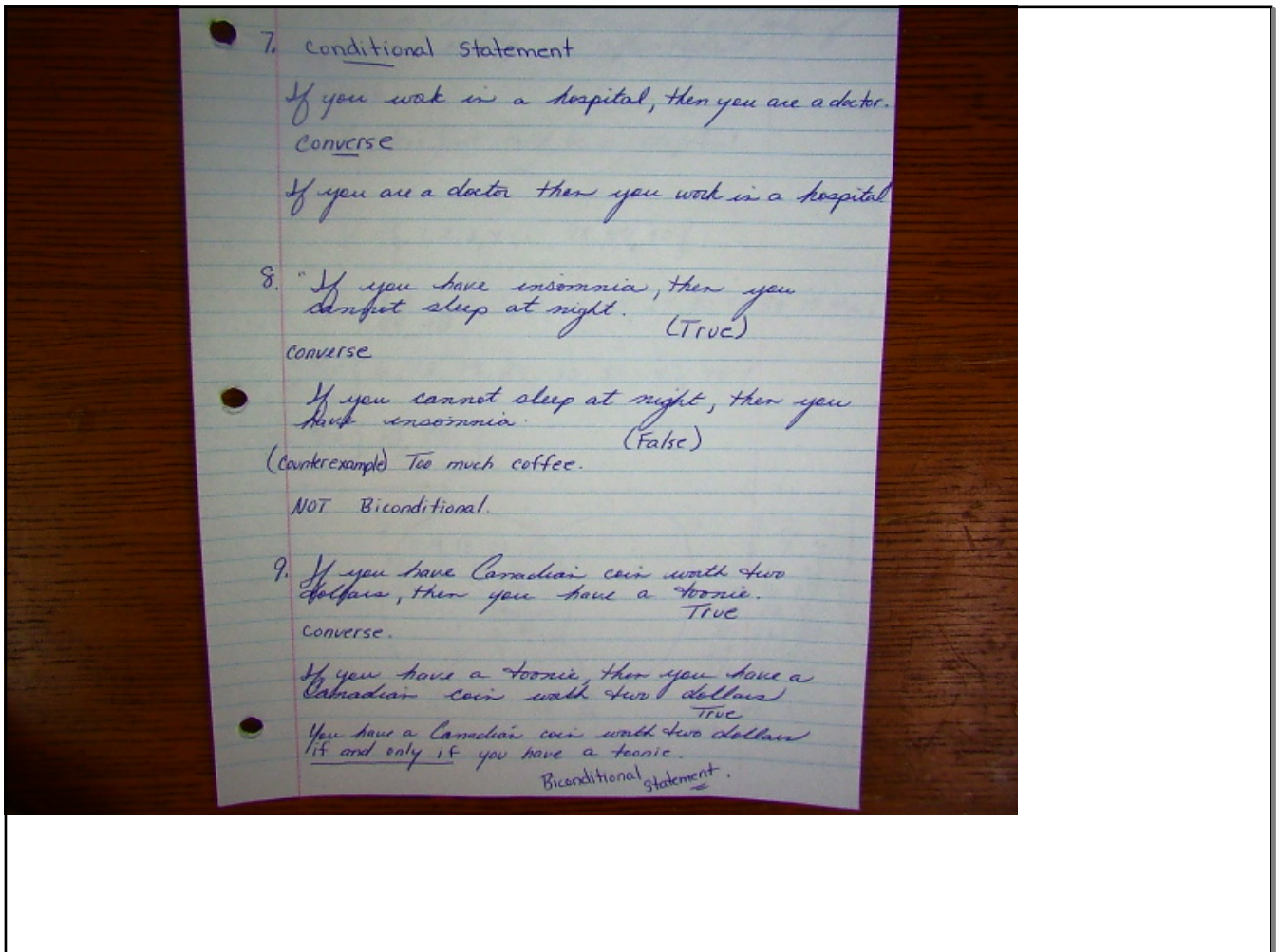
$$n(B \cap C) = 2$$

$$6. a) n(B \setminus C) = 22$$

$$b) n(B \cup C) = 59$$

$$c) n(C \setminus B) = 9$$

$$d) n(S \cup C \cup B - (S \cap C) - (C \cap B) - (S \cap B)) = 63$$



10. I am eating an orange if and only if I am eating a citrus fruit.

FALSE!

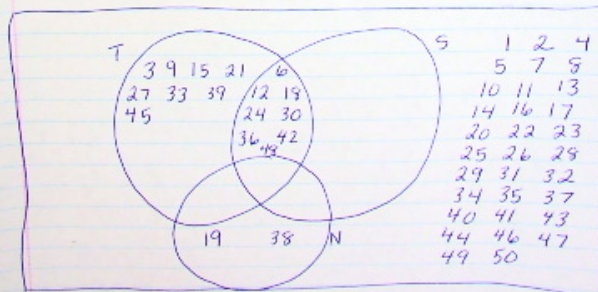
A citrus fruit could be a grapefruit.

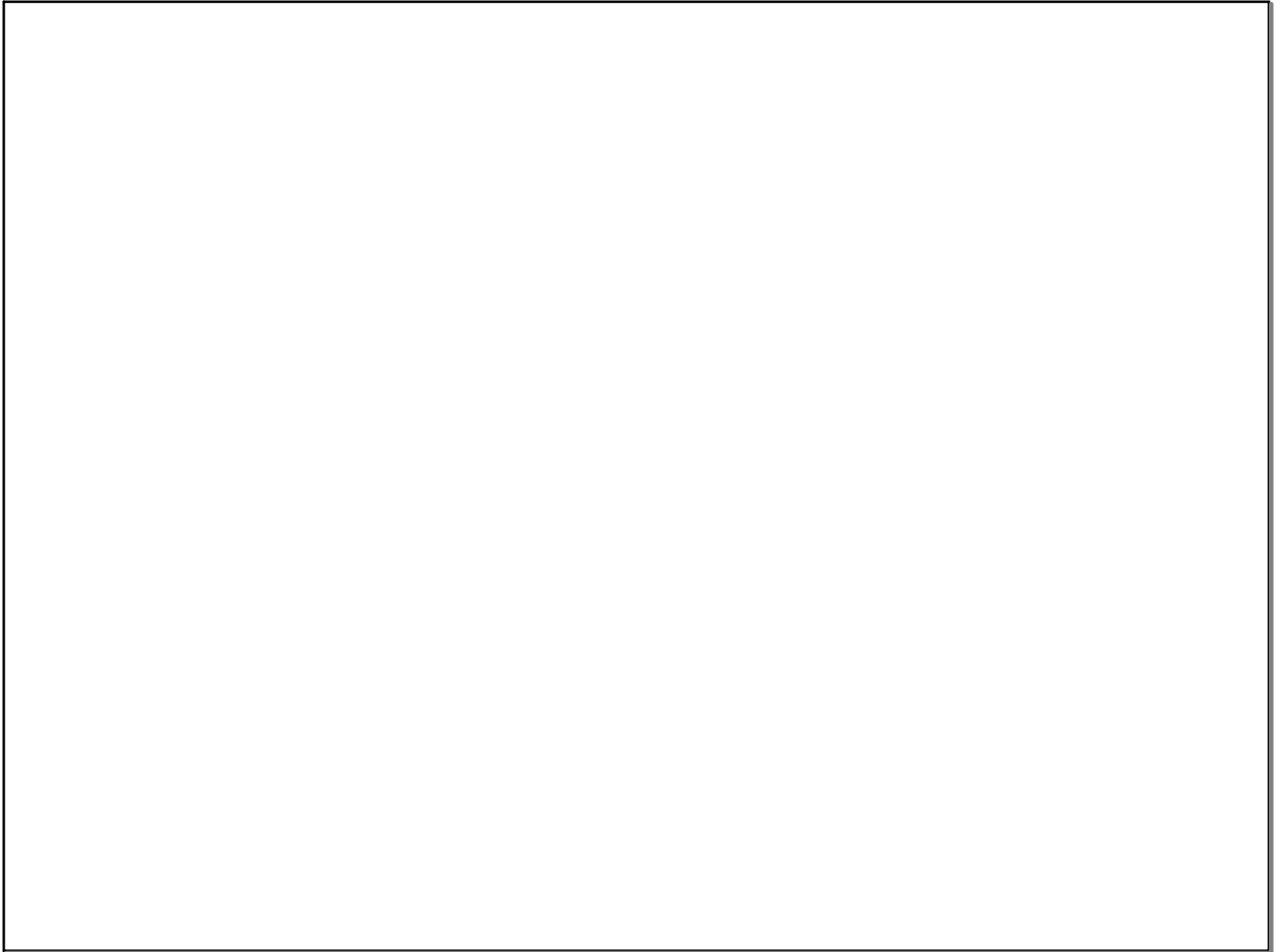
11. $U = \{1, 2, 3, 4, \dots, 48, 49, 50\}$

3s $T = \{3, 6, 9, 12, 15, 18, 21, 24, 27, 30, 33, 36, 39, 42, 45, 48\}$

6s $S = \{6, 12, 18, 24, 30, 36, 42, 48\}$

19s $N = \{19, 38, \dots\}$

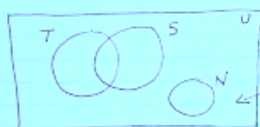




16. b) Disjoint sets: T and N
S and N

- c) i) $T \subset S$ False
- ii) $S \subset T$ True
- iii) $N \subset N$ True
- iv) $T = \text{even \#s } 1 \text{ to } 50$ False
- v) The set of natural numbers from 51 to 100 is $\{\}$ "Empty" True.

The Venn Diagram could also look like this.



N is separate because there aren't any numbers in the overlap sections of my first Venn Diagram.