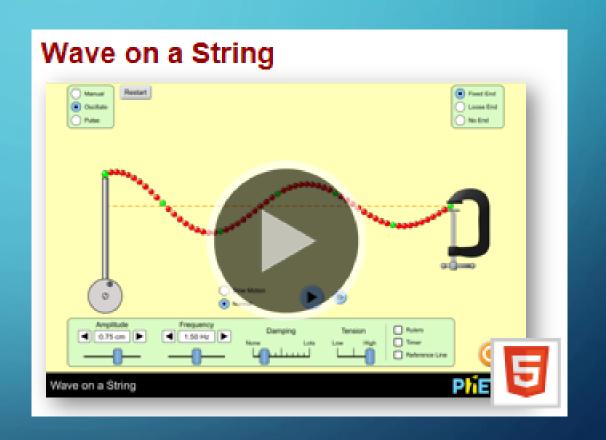


WAVES - A VISUAL

- Terms
 - Frequency
 - Period
 - Wavelength
 - Amplitude
 - Equilibrium Position
 - Speed
 - Tension



WAVES - SO MANY TYPES

- Water
- Sound
- Slinky (?!)
- Rope (?!)
- Pressure
- Electromagnetic
- Gravity

Wave:

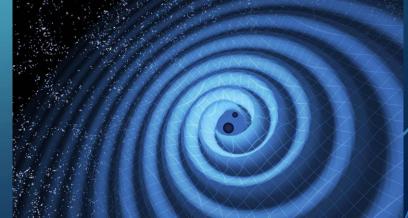
A disturbance that transfers energy through a medium.

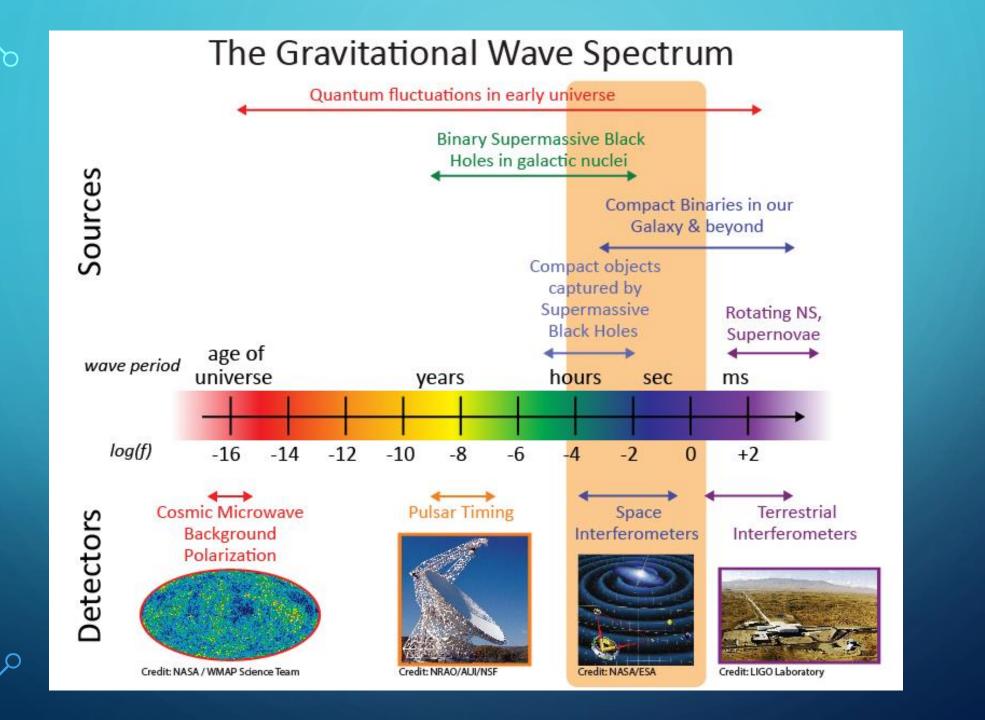
Waves

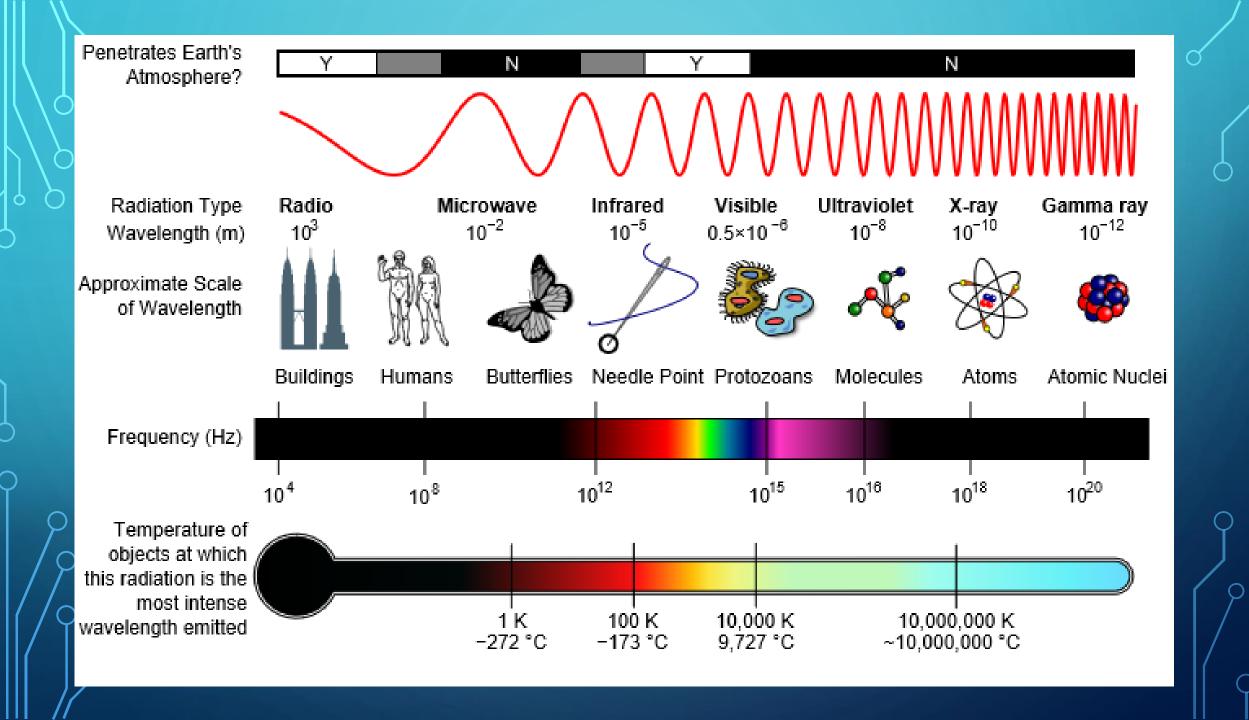
Mechanical

Travel through empty space

Travel through matter







MECHANICAL WAVES - WAVE SPEED

Wave speed is constant in a particular medium.



- Independent of the size or amount of energy in a wave.
- Does not change speed as it travels.
- Wave speed within a medium is a physical characteristic of that medium; much like density or boiling point.
- Wave speed is determined by the forces between and the mass of the medium particles.
- For example, if everyone in the class talks then every single sound wave will have the same speed through the air. No matter the pitch or volume.

MECHANICAL WAVES - WAVE SPEED

- The greater the force between particles, the more rapidly the particles return to equilibrium position.
 - Results in a faster wave speed.
- The greater the mass of the particles, the more slowly they return to equilibrium position because of their inertia.
 - Results in a slower wave speed.
- Friction: acts to dampen or reduce the amplitude of the wave, but has no effect on wave speed (unlike sliding something on a table).

MECHANICAL WAVES - FREQUENCY & PERIOD

- Frequency, f: The number of waves that are created per unit time.
 - If time is in seconds, the unit for frequency is measured in Hertz, Hz.
- Period, T: The time to create one wave.
- They are reciprocal functions: $T = \frac{1}{f}$ and $f = \frac{1}{T}$



• The mathematical relationship you use depends on the information given in the problem.

$$T = \frac{\Delta t}{\#waves}$$
 $f = \frac{\#waves}{\Delta t}$ $T = \frac{1}{f}$ $f = \frac{1}{T}$

FREQUENCY & PERIOD PROBLEMS

• Example 1: Watching water waves, an observer notes that 25 waves pass by him in 175 seconds. Calculate the period and frequency of these waves.

FREQUENCY & PERIOD PROBLEMS

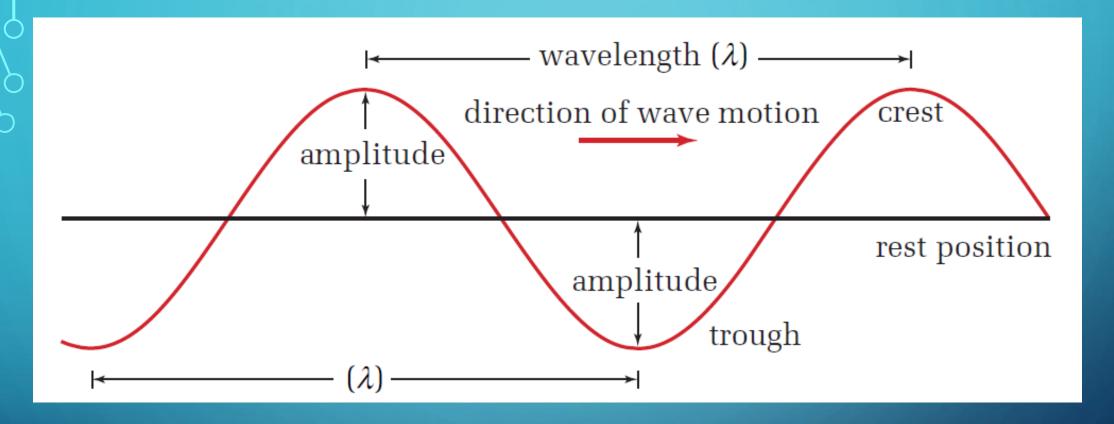
• Example 2: A basketball shoots 33 balls in 120 seconds. Calculate the frequency and period of the shots.

FREQUENCY & PERIOD PROBLEMS

• Example 3: The frequency of a sound wave is 252 Hz. Calculate the period of the wave.

MHR Practice Sheet

DESCRIBING WAVES



Wavelength, λ : The distance from a point on the wave to a corresponding point such that it includes one complete crest and trough.

• λ is the lowercase Greek letter, lambda.

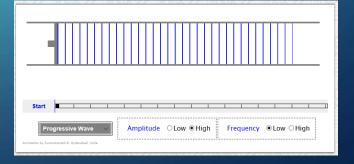
TRANSVERSE WAVES

- Particles of the medium vibrate perpendicular to the
 - direction the wave is traveling.
 - Making waves in a rope/string.



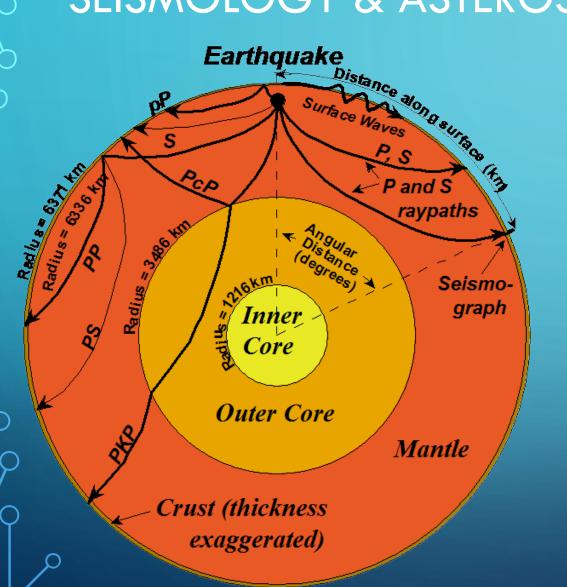
LONGITUDINAL WAVES

- Particles of the medium vibrate parallel to the direction
 - the wave is traveling.
 - Sound/Pressure waves.

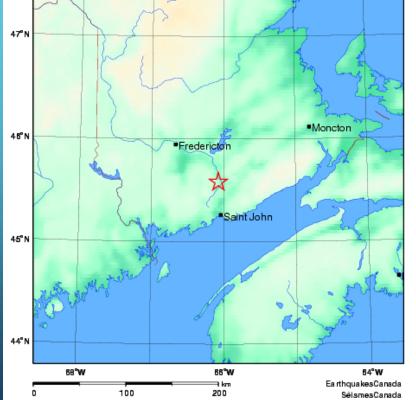


SEISMOLOGY & ASTEROSEISMOLOGY

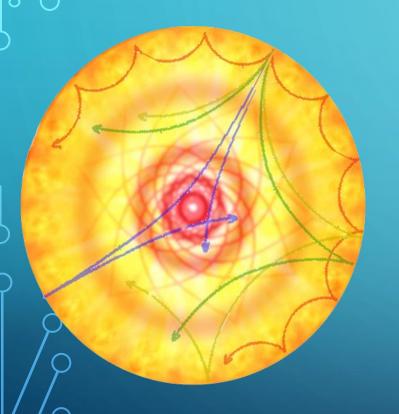
Local Time:	09:49:00 AST
Magnitude:	3.8 MN
Latitude:	45.36 North
Longitude:	66.24 West
Depth:	2 km
UT Date and Time:	2019/01/10 13:49:00 UT

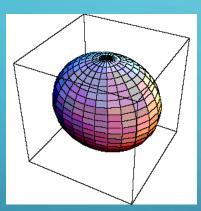


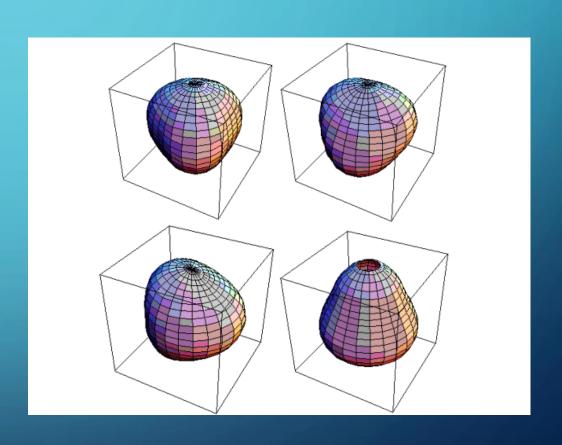
Approximate Location of Earthquake: Strongly felt in Saint John, Grand Bay-Westfield, Rothesay.



SEISMOLOGY & ASTEROSEISMOLOGY







THE WAVE EQUATION

- $| \bullet V = f \lambda |$
- V = Speed (m/s)
- f = frequency (Hz)
- $\lambda = \text{wavelength (m)}$
- In a particular medium, all waves will travel the same speed.
- If a wave travels from one medium to another, it's speed will likely change, but its frequency will not.

•A sound wave has a frequency of 325 Hz and a wavelength of 1.20 m. Calculate the wave speed.

$$(v = 390 \text{ m/s})$$

•A radio wave travels 3.00 x 10⁸ m/s through the air. Calculate the wavelength of radio waves that have a frequency of 99.3 MHz.

 $(\lambda = 3.02 \text{ m})$

- $^{\circ}$ A sound wave has a wavelength of 0.34 m and a speed of 350 m/s in air.
 - Calculate the frequency. (f = 1029 Hz)
- •If that sound wave enters sea water, where its speed is 1531 m/s. Calculate its new wavelength. ($\lambda = 1.49 \text{ m}$)

• Waves are created in a 15 m long rope that have a wavelength of 0.42 m. It takes the waves 8.8 seconds to travel the length of the rope. Calculate the frequency and period of the waves.

(f = 4.05 Hz), T = 0.25 s

PRACTICE PROBLEM

• Two boats are 90 m apart. When one boat is on a crest and the other is in a trough there are two crests between them. A boat goes up-and-down and up again 15 times in 60 seconds. Calculate the speed of the waves.

YOUR TURN

• Two boats are 115 m apart. When each boat is on a crest and there are 4 crests between them. A boat goes up-and-down and up again 20 times in 75 seconds. Calculate the speed of the waves.

V = 6.88 m/s

WAVE INTERFERENCE

Transverse Wave - Addition



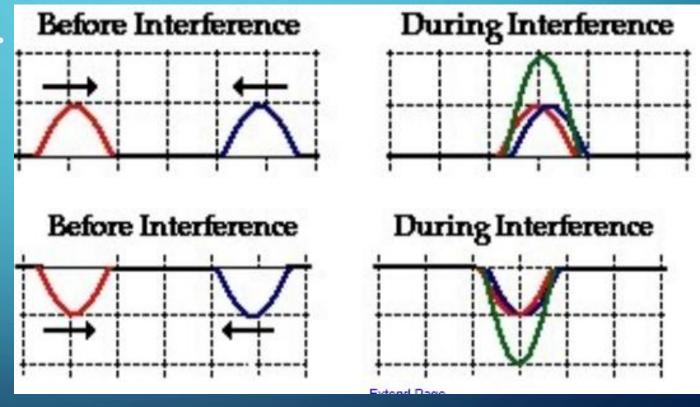
WAVE INTERFERENCE

- When two or more waves act simultaneously on the same particles of a medium.
- Principle of Superposition: The resultant displacement of a given particle is equal to the sum of the displacements that would have been produced by each wave acting independently.

CONSTRUCTIVE INTERFERENCE

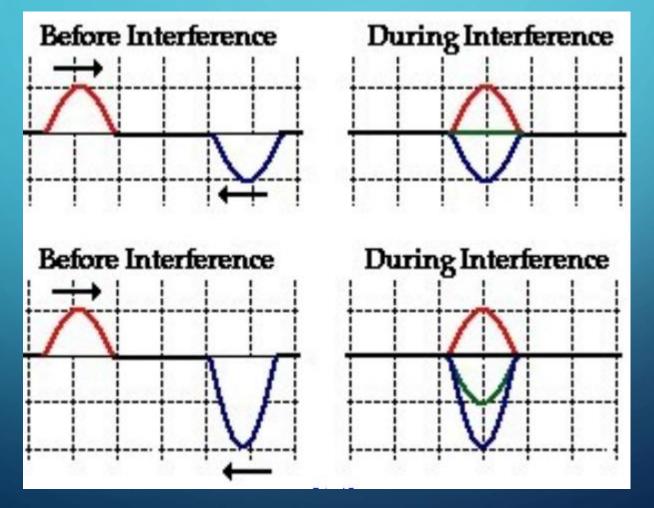
• Results when who or more waves interfere to produce a resultant displacement greater than the displacement caused

by either wave itself.



DESTRUCTIVE INTERFERENCE

• When the resultant displacement is smaller than the displacement that would be caused by one wave by itself.

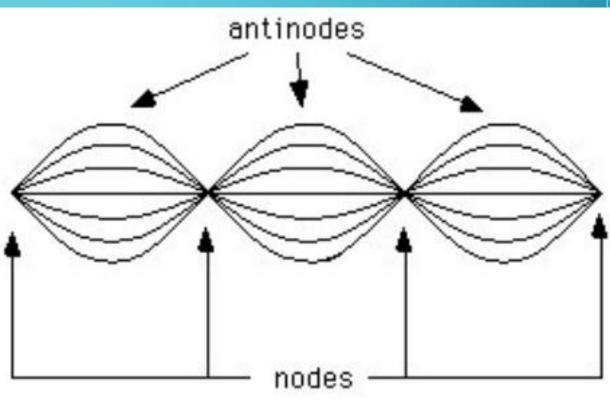


STANDING WAVES

- An interference pattern that occurs if interfering waves have the same amplitude, wavelength, frequency and are traveling in different directions.
- Creates special points or lines called nodes and antinodes.
 - Nodal points or nodal lines are places of continuous total destructive interference.
 - The particles experience no displacement.

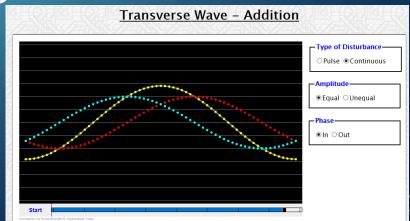
NODES AND ANTINODES





1-D STANDING WAVES

- Along a rope, string, rod or wire (etc.).
- When plucked or struck, a wire will vibrate at its natural frequency (like a guitar or piano wire).
- Changing the tension in the wire (tuning) changes the natural frequency of the wire because that changes the waves' speed. The wavelength is the length of the wire.



2-D STANDING WAVES

- Along a surface like a thin sheet of metal.
- When struck, a sheet will vibrate at its natural frequency.
- Many interference patterns can be visualized by

controlling the frequency.

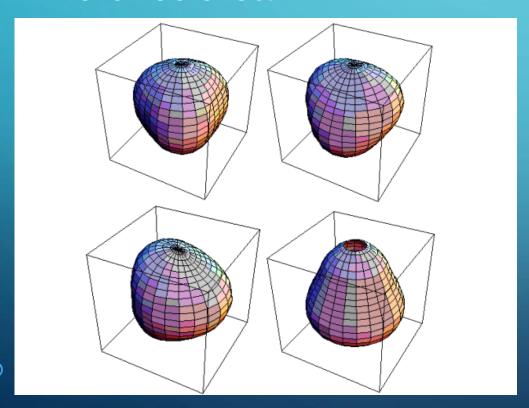


Also has a resonant effect.



3-D STANDING WAVES

- Within or through a 3-D object.
- Asteroseismology is an example.
- And structures.







Also has a resonant effect.